



SysBioCancer 2021, Institut Curie

#### Michal Kloc

Bentires-Alj Lab, University Hospital Basel, Switzerland, September 27, 2021



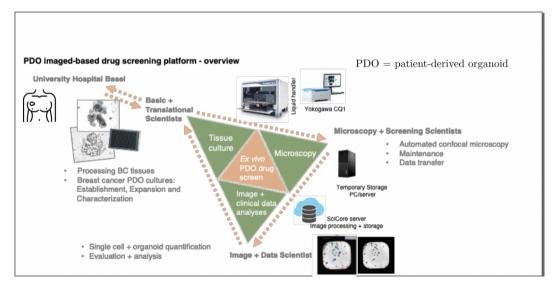


### Outline

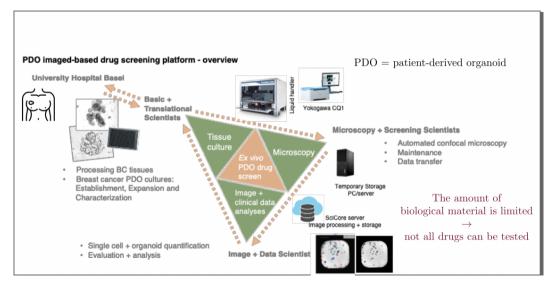
### Projects:

- 1. Drug sensitivity prediction for efficient screening
  - a. Drug screening platform, pipeline
  - b. PaccMann: open source model of cancer drug sensitivity by IBM
- 2. Optimizing a mathematical model of cancer therapy using differentiable programming
  - a. Cancer therapy as dynamical system
  - b. Optimal control problem

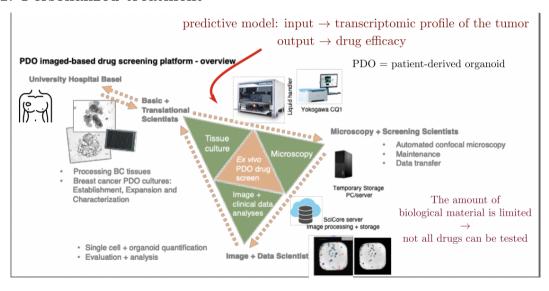
#### 1 .Personalized treatment



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## 1. PaccMann: predictive model by IBM

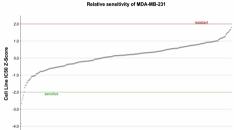
Relative sensitivity of MDA-MB-231 • trained on GDSC data Genomics of Drug Sensitivity in Cancer resistant Drugs (ranked by cell line sensitivity) IC50 Z-Sco Export: CSV TSV Z score Cell Line -2 64526 MCT4\_1422 -2.45049 -2.32604 input output Molecular Structure Parallel Conv. Charmain = 4 SMILES: CC1=CC(= ... =C3)NN=C4N Biomolecular Gene Attention (GA) Data SMILES CNN THE Network half maximal

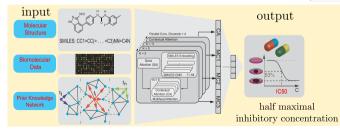
inhibitory concentration

### 1. PaccMann: predictive model by IBM

• trained on GDSC data Genomics of Drug Sensitivity in Cancer



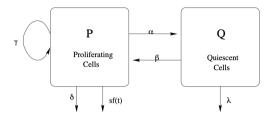




- Can 2D cell lines be a good training set for predictions for patients' samples?
- Perhaps a different source of the training data (TSGA database)?

Cancer therapy as dynamical system Model of bone marrow under chemotherapy

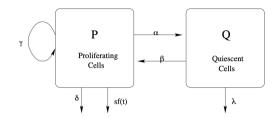
$$\begin{bmatrix} \frac{dP}{dt} \\ \frac{dQ}{dt} \end{bmatrix} = \begin{bmatrix} \gamma - \alpha - \delta - sf(t) & \beta \\ \alpha & -\beta - \lambda \end{bmatrix} \begin{bmatrix} P \\ Q \end{bmatrix}$$



- P: proliferating bone marrow cell mass, Q: quiescent bone marrow cell mass
- γ: growth rate of cycling cells
- $\alpha$ : transition rate from proliferating to resting
- $\beta$ : transition rate from resting to proliferating
- $\bullet$   $\delta:$  natural cell decay,  $\lambda:$  quiescent cell loss
- 0  $\leq f(t) \leq$  1: time-dependent dosage of the chemother apeutic treatment with amplitude s

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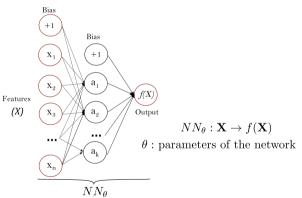


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Optimal control problem:
Maximize the dose while maintaining
bone marrow cell mass

Let's employ the workhorse of machine learning:

#### automatic differentiation



Let's employ the workhorse of machine learning: Implement the task in a form of loss function  $\mathcal{L}$  that needs automatic differentiation to be minimized Bias  $\mathcal{L} = \sum_{i=1}^{N} \frac{c_1}{2} (1 - f(t_i)) - c_2 (P(t_i) + Q(t_i))$ +1Bias maximize the dose maximize the overall cell number f(X)Features using AD compute gradients  $\frac{\partial \mathcal{L}}{\partial q}$ (X)Output  $NN_{\theta}: \mathbf{X} \to f(\mathbf{X})$ ...  $\theta$  : parameters of the network Update parameters  $\theta$  in direction  $X_n$ given by the gradient  $NN_{\theta}$  $\theta_i o \theta_i - \eta \frac{\partial \mathcal{L}}{\partial \theta_i}$ 

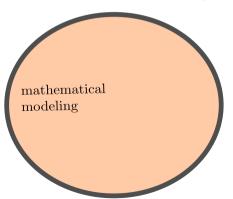
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I think better is scientific machine learning

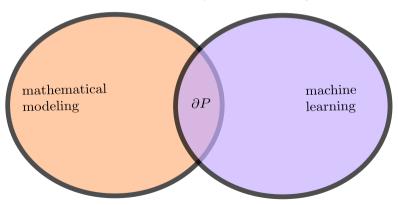
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I think better is *scientific machine learning* 



### References

### PaccMann (IBM)

Manica, M., Oskooei, A., Born, J., Subramanian, V., Sáez-Rodríguez, J., and Rodríguez Martínez, M. (2019). *Toward explainable anticancer compound sensitivity prediction via multimodal attention-based convolutional encoders.* Molecular Pharmaceutics, 16 (12), 4797-4806.

### cancer therapy models

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- Schäfer, F., Sekatski, P., Koppenhöfer, M., Bruder, C., and Kloc, M. (2021). Control of stochastic quantum dynamics by differentiable programming. Machine Learning: Science and Technology, 2(3), 035004.



Thanks for your attention.